

Chapter 1 Notes

1.6 – Relations

There are 4 ways to display a relation:

Ordered Pair:

Ordered Pairs

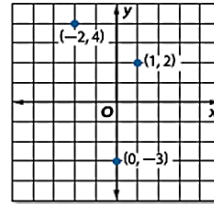
Table

Graph

Mapping

(1, 2)
(-2, 4)
(0, -3)

x	y
1	2
-2	4
0	-3



Relation:

Example: Write the relation in 4 ways: The first person in a checkout line has 5 items. The second person has 3 items. The third person has 1 item. The fourth person has 4 items.

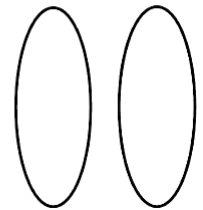
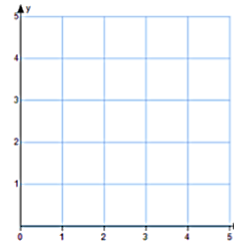
Ordered Pairs

Table

Graph

Mapping

x	y



Domain:

Range:

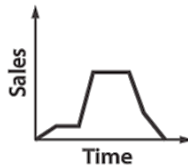
Independent Variable:

Dependent Variable:

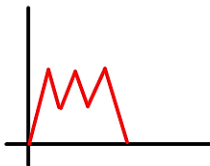
Example: Determine the independent and dependent variables.

- 1) The air pressure inside a car increases with temperature.
- 2) The more tickets the student council sells for the homecoming dance the greater the amount of money they can spend on decorations.

Example: Determine the independent and dependent variables and describe the situation.



Example: Describe a situation to go with each graph.



1.7 – Functions

Function:

Example: Determine whether each relation is a function. Explain why or why not.

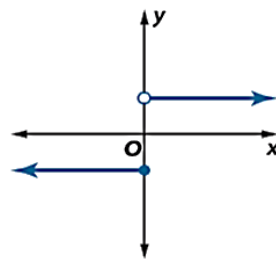
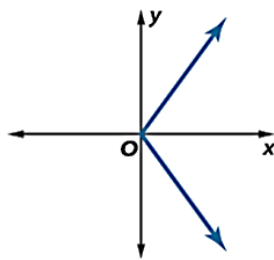
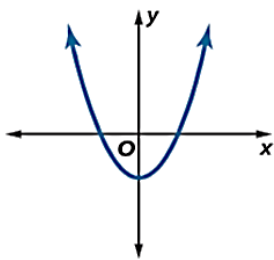
Domain	1	3	5	1
Range	4	2	4	-4

<p>Domain</p> <p>-2</p> <p>0</p> <p>3</p> <p>4</p>	<p>Range</p> <p>-3</p> <p>6</p> <p>9</p>
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$\{(2, 1), (3, -2), (3, 1), (2, -2)\}$

Vertical Line Test:

Example: Use the vertical line test to determine if each graph is a function or not. Explain where the problem is.



Naming Functions

If $y = 5x + 3$, find the value of y when $x = 2$.

If $y = 5x + 3$, find the value of y when $x = 8$.

Instead of writing all of that out, we can simplify the process by naming our function "f" and then writing:

If $f(x) = 5x + 3$, evaluate:

$f(2)$

$f(8)$

Example: If $f(x) = x^2$ and $g(x) = x + 4$, evaluate the following:

$f(2) + g(0) + 10$	$g(3a) + 5$
$f(\odot)$	$f(g(x))$

2.3/2.4 – Solve Multi-Step Equations and Equations with Variables on Both Sides

Steps for Solving a Multi-Step Equation: SSS (Simplify, Same Side, Solve)

1. **Simplify** (distribute, combine like terms already on the same side)
2. Get like terms on the **same side** of equation (variable terms on one side and constant terms on the other)
3. **Solve** for x (undo the final operation on x) and CHECK YOUR ANSWER!!!

Example: Solve for x.

$7 - 8x = 2x - 17 + 2x$	$9x - 5 = \frac{1}{4}(16x + 60)$	$5 - x = 3(2x - 6) - 5$
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Unique Solutions

Sometimes, when we are solving we don't always get $x = \text{number}$. Sometimes we get something different.

If we get a FALSE statement like $2 = 3$, then we say _____

If we get a TRUE statement like $3 = 3$, then we say _____ OR _____

Example: Solve for x.

$3x = 3(x + 4)$	$5(n + 2) = \frac{3}{5}(5 + 10n)$	$8w + 2 = 4(2w + 0.5)$
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2.5 – Solving Equations with Absolute Values

Lead-In: Before every NBA game, the referee must verify that the basketball used is inflated to the correct air pressure. If the rules state it must be at 8 pounds per square inch (psi) with an error of ± 0.5 psi, known as the absolute deviation, find the maximum and minimum air pressure readings.

Example: I am thinking of a number that is 7 units away from 0. How can I translate this question to mathematics? What are the solutions?



Example: Solve the absolute value equation: $|x - 3| = 8$.

Example: Solve.

$3 2x - 7 - 5 = 4.$	$8 x + 3 - 4 = 5 x + 3 - 4$
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Can you distribute when solving absolute value equations???

Example: Evaluate $-2|3+4|$.

Example: Solve the absolute value equation: $|x + 5| + 6 = -2$.

SPECIAL CASES

To determine if an absolute value equation has no solutions, you check to see if: _____

2.6 – Ratios and Proportions

Ratio:

Three ways to write ratios: 1)

2)

3)

Proportion:

Example: Solve the following ratio using two different strategies.

$\frac{y}{4} = \frac{15}{20}$	$\frac{y}{4} = \frac{15}{20}$
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Cross Product Property (NOTE: This is not a tool to multiply fractions! It is used to solve proportions.)

KEY CONCEPT

For Your Notebook

Cross Products Property

Words The cross products of a proportion are equal.

Example $\frac{3}{4} = \frac{6}{8}$ 

Algebra If $\frac{a}{b} = \frac{c}{d}$ where $b \neq 0$ and $d \neq 0$, then $ad = bc$.

Example: Solve the following proportions.

1. $\frac{8}{x} = \frac{12}{15}$	2. $\frac{4}{x} = \frac{8}{x-3}$
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2.7 – Percent Problems

Where do percent situations come up in real life?

- 1) Down Payment on Car 2) Determining defective items 3) Pay raises 4) Taxes off of your income

The word percent comes from the parts per meaning _____ and cent meaning _____.

How to set up percent problems using proportions:

$$\frac{\text{IS}}{\text{OF}} = \frac{\text{PERCENT}}{100}$$

Example: What percent of 25 is 17?

Example: What number is 25% of 88?

How to set up percent problems using equations:

"a is p percent of b"

$$a = p\% \cdot b$$

Example: What is 30% of 50?

Example: 35 is what percent of 105?

Using Percents in Life

<p>1. You are looking to buy a car but the dealer requires a 15% down payment. If the down payment is \$2700, what is the cost of the car?</p> <p>This translates to:</p>	<p>2. A worker earns \$28.50 per hour. If she receives a 7.5% pay raise, how much does she earn per hour now?</p> <p>This translates to:</p>
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Percent of Change:

Example: If a worker originally made \$45,000 a year and now makes \$48,000, what was his percent of change in salary?